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**Facets of Online Optimization - Online Dial-a-Ride  
Problems and Dynamic Configuration of All-Optical  
Networks**

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**Facets of Online Optimization**

**Online Dial-a-Ride Problems  
and  
Dynamic Configuration of All-Optical Networks**



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# Contents

<b>1</b>	<b>Introduction</b>	<b>1</b>
<b>2</b>	<b>Preliminaries</b>	<b>9</b>
2.1	Online Optimization . . . . .	9
2.2	Competitive Analysis . . . . .	11
2.2.1	Deterministic Algorithms . . . . .	11
2.2.2	Randomized Algorithms . . . . .	13
2.2.3	Yao's Principle . . . . .	13
2.3	Weaknesses, Modifications, and Extensions of Competitive Analysis .	14
2.4	Simulation . . . . .	16
<b>I</b>	<b>New Results in Online Dial-a-Ride Problems</b>	<b>17</b>
<b>3</b>	<b>Introduction to Dial-a-Ride Problems</b>	<b>21</b>
3.1	Problem Definition . . . . .	21
3.2	Optimization Criteria . . . . .	24
<b>4</b>	<b>Minimizing the Latency</b>	<b>25</b>
4.1	Problem Definition . . . . .	25
4.2	Related Work . . . . .	26
4.3	Lower Bounds . . . . .	27
4.3.1	Randomized Lower Bounds for the $\sum w_j C_j$ -OLDARP . . . . .	27
4.3.2	Randomized Lower Bounds for the OLTRP . . . . .	33
4.4	The Algorithm INTERVAL . . . . .	35
4.5	The Randomized Version: RANDINTERVAL . . . . .	39
4.6	Overview of Results . . . . .	41
<b>5</b>	<b>Minimizing the Maximum Flow Time</b>	<b>43</b>
5.1	Problem Definition . . . . .	44
5.2	Offline Complexity and Related Work . . . . .	44

5.3	Competing with the Standard Adversary . . . . .	45
5.4	Competing with the Fair Adversary . . . . .	47
5.4.1	The Fair Adversary on the Uniform Metric Space . . . . .	49
5.4.2	The Fair Adversary on the Real Line . . . . .	63
5.5	Competing with the Non-Abusive Adversary . . . . .	65
5.5.1	The Non-Abusive Adversary on the Uniform Metric Space . . . . .	65
5.5.2	The Non-Abusive Adversary on the Real Line . . . . .	68
5.6	Overview of Results . . . . .	101

## II Online Call Admission in Optical Networks: Theory and Practice 103

<b>6</b>	<b>All-Optical Telecommunication Networks</b>	<b>107</b>
6.1	Components and Functionality . . . . .	108
6.1.1	Signal Transmission in Optical Networks . . . . .	108
6.1.2	Optical Node Technology . . . . .	110
6.1.3	Optimization Problems Arising in All-Optical Networks . . . . .	112
6.2	Mathematical Model . . . . .	114
<b>7</b>	<b>Dynamic Call Admission: Practical Algorithms</b>	<b>119</b>
7.1	The Dynamic Call Admission Problem . . . . .	120
7.1.1	The Dynamic Multiclass Call Admission Problem . . . . .	120
7.1.2	The Dynamic Singleclass Call Admission Problem . . . . .	123
7.1.3	Offline Complexity of Dynamic Call Admission . . . . .	124
7.2	Related Work . . . . .	125
7.3	Algorithms for the Dynamic Singleclass Call Admission Problem . . . . .	128
7.3.1	Greedy Algorithms . . . . .	129
7.3.2	The Algorithm ALR: Available-Lightpaths-Reduction . . . . .	134
7.3.3	The Algorithm SFR: Single-Flow-Reduction . . . . .	137
7.3.4	The Algorithm ASFR: Anticipating Single-Flow-Reduction . . . . .	140
7.3.5	The Algorithm NFR: Network-Flow-Reduction . . . . .	144
7.4	A Comparison of the Algorithms via Simulation . . . . .	148
7.4.1	Network Design and Traffic Model . . . . .	149
7.4.2	Results . . . . .	153
7.4.3	Conclusions . . . . .	169
7.5	Discussion and Outlook . . . . .	170
7.5.1	Non-Unit Demands, Profits, and Call Admission . . . . .	171
7.5.2	Network Fitness Algorithms—Discussion and Modifications . . . . .	173
7.5.3	Discussion of the Experimental Set-up . . . . .	174

<b>8</b>	<b>The Theoretical Approach: Competitive Algorithms</b>	<b>177</b>
8.1	Problem Definition . . . . .	178
8.1.1	The Online Call Admission Problem (OCAP) . . . . .	178
8.1.2	The Online Call Admission Problem with Preemption (OCAP-P) . . . . .	178
8.2	Related Work . . . . .	179
8.3	A Lower Bound for the OCAP . . . . .	180
8.4	Algorithms for the OCAP . . . . .	181
8.4.1	A Deterministic Algorithm for the OCAP . . . . .	181
8.4.2	A Randomized Algorithm for the OCAP on Trees . . . . .	183
8.5	Algorithms for the OCAP-P on the Line . . . . .	192
8.5.1	The OCAP-P on the Line with Unit Demands . . . . .	194
8.5.2	The OCAP-P on the Line with Non-Unit Demands . . . . .	199
8.6	Overview of Results . . . . .	201
<b>A</b>	<b>Online Optimization—The Formal Framework</b>	<b>203</b>
A.1	Online Optimization Problems and Online Algorithms . . . . .	203
A.2	Competitive Analysis . . . . .	205
A.3	Proof Sketch for Yao’s Principle . . . . .	208
A.4	The OLDARP as Request-Answer System . . . . .	210
A.5	The DMCAP as Request-Answer System . . . . .	213
A.6	The OCAP and the OCAP-P as Request-Answer Systems . . . . .	215
<b>B</b>	<b>Notation and Basic Definitions</b>	<b>219</b>
B.1	Analysis . . . . .	219
B.2	Complexity Theory . . . . .	220
B.3	Game Theory . . . . .	223
B.4	Graph Theory . . . . .	223
B.5	Probability Theory . . . . .	225
<b>C</b>	<b>Numerical Simulation Results</b>	<b>227</b>
	<b>Bibliography</b>	<b>245</b>
	<b>Index</b>	<b>257</b>